



Unit 2: Structure of Sentential Logic

- *The first 2/3 of the course will deal almost exclusively with propositional or sentential logic.*
- *Sentential logic is concerned with the manner in which simple declarative sentences compounded with each other into more complex forms.*
- *We will not be concerned with analyzing the parts of the simple sentences, i.e., the subjects and predicates.*




Simple Sentences

- ***Simple Sentences- a sentence is simple if and only if it is not complex***
 - ***Example1: I hate logic.***
 - ***Example2: Joe went to the store to get some milk for his cereal.***
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Compound Sentences

- *Compound Sentences- a sentence is compound if it contains another complete sentence as its component.(Klenk 23)*
- *A sentence is said to logically contain another if it literally contains the other as a component, or if it can be paraphrased into an explicit compound sentence that contains the other as a component.*





Example of a Compound Sentence

- *Jim Thome and Sandy Alomar have played for the Cleveland Indians.*
 - *Component 1: Jim Thome has played for the Cleveland Indians.*
 - *Component 2: Sandy Alomar has played for the Cleveland Indians.*
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Negated Statements

- ***Statements which contain a negative are not considered simple sentences, even though they may appear to be so.***
 - ***Example: Mark doesn't like cats.***
 - ***Paraphrase: It is not the case that Mark likes cats.***
 - ***Component 1: It is not the case.***
 - ***Component 2: Mark likes cats.***
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Sentential Operators

- *Sentential logic is concerned with the ways simple sentences are combined by means of sentential operators.*
 - “and” (·) (dot)
 - “or” (∨) (wedge)
 - “if, then” (⊃) (horseshoe)
 - “if and only if” (≡) (triple-bar)
 - “not” (~) (tilde)
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Structure and Symbolism of Sentential Logic

- *Using the variables p and q (where p and q stand for sentences), each of the sentential operators can be represented as follows:*
- *$(p \cdot q)$ [Read “ p ” and “ q ”] is a conjunction with major components termed “conjuncts”.*
- *$(p \vee q)$ [Read “ p ” or “ q ”] is a disjunction with major components termed “disjuncts”.*



Structure (cont.)

- $(p \supset q)$ [Read if “ p ” then “ q ”] is a conditional with p being termed the “antecedent”
- and q the “consequent”.
- $(p \equiv q)$ [Read “ p ” if and only if “ q ”] There are no special names for the components.
- $(\sim p)$ [Read not “ p ”] is termed a negation.
- We will use capital letters to represent particular non-compounded sentences.